

# Knowledge Representation (Part 2)

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Session 4



# Outlines

- Frames
  - Structure
  - Inheritance
  - Facets
- Logic
  - Propositional logic
  - Predicate calculus

# Frames

- A natural extension of the semantic network is a **schema**.
- A schema is a unit that contains typical knowledge about some concept or object, and includes both declarative and procedural knowledge.
  - Schema of a bird: it has wings and legs, and how it hunt for food
- Expert system designers refer to the schema as a frame
- Frames is a data structure for representing stereotypical knowledge of some concept

# Frames (Cont.)

- Minsky (first proposed frames) describes a frame as follows:
- *“When one encounters a new situation (or makes a substantial change in one’s view of a problem) one selects from memory a structure called a “frame.” This is a remembered framework to be adapted to fit reality by changing details as necessary.”*

# Structure of a Frame

- Frame name: Bob
- Class is optional and it shows object1 IS-A object2
- i.e. Class=Human

GENERAL FRAME STRUCTURE		
Frame Name:	Object1	
Class:	Object2	
Properties:	Property1	Value1
	Property2	Value2
	Property3	Value3
	...	...

# Class Frame

- A class frame represents the general characteristics of some set of common objects.

Frame Name:	Bird	
Properties:	Color	Unknown
	Eats	Worms
	No._Wings	2
	Flies	True
	Hungry	Unknown
	Activity	Unknown

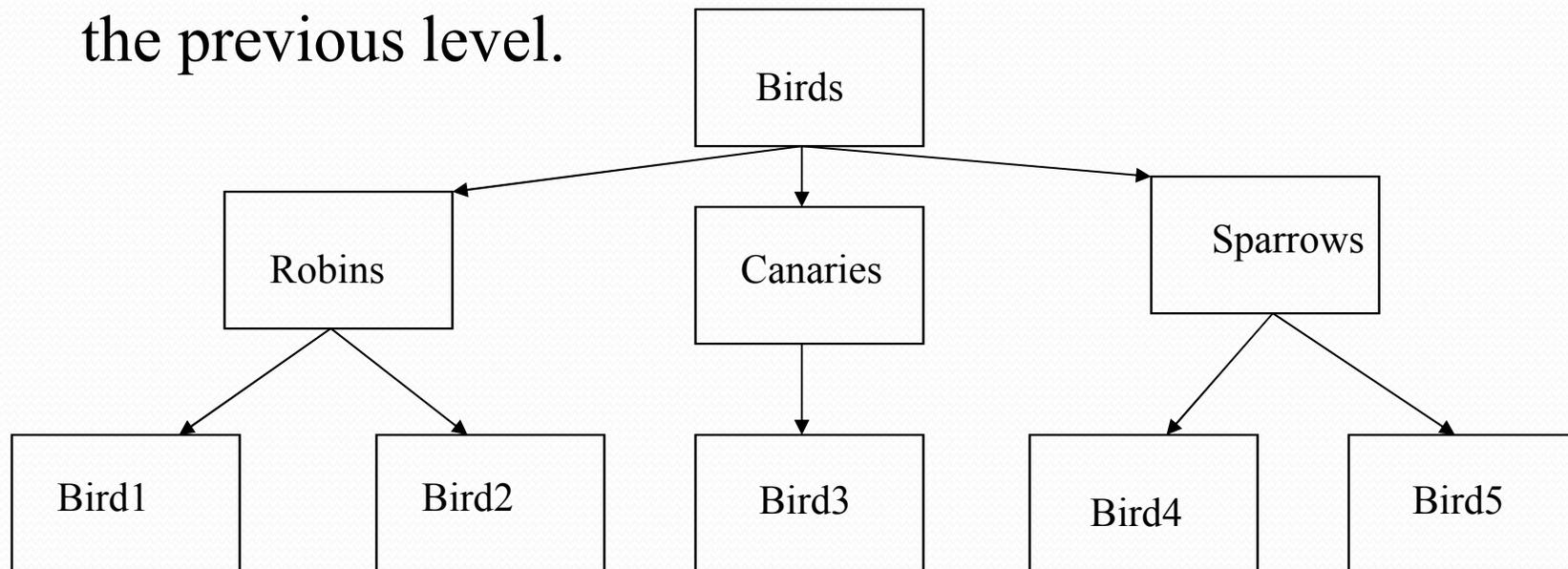
# Instance Frame

- **Instance Frame** describes a specific instance of a class frame. The frame **inherits** both properties and property values from the class.

Frame Name:	Tweety	
Class:	Bird	
Properties:	Color	Yellow
	Eats	Worms
	No._Wings	1
	Flies	False
	Hungry	Unknown
	Activity	Unknown
	Lives	Cage

# Hierarchical Structure

- You can create complex frame structures organizing by different levels of abstraction. Each level inherits from the previous level.





# Facets

- Provide you with additional control over property values
- Can define a constraint on a property value - i.e.
  - Limit a numeric property value to some set range
  - limit a string value to one of a few possible values
  - restrict the type of data that can be stored in a
    - property value, i.e. string, numeric, or boolean
- Can instruct a property how to obtain its value or what to do if its value changes
  - IF-NEEDED facets
  - IF-CHANGED facets

# Methods

- A *method* is a procedure that executes whenever a property value is needed.
- Property value can be obtained through a series of computations, or from an external database or spreadsheet
- *Method* is typically written in the procedural language of the chosen shell and attached to the property's IF-NEEDED facet

# IF-NEEDED Facet

1. Assume property value “Flies” in the “Tweety” frame is “Unknown”.
2. You want the system to determine if tweety can fly.

Method: IF Tweety has less than two wings  
THEN Tweety can't fly

IF Tweety has two wings  
THEN Tweety can fly

- To implement method, we need the property value of “No.\_Wings” from the “Tweety” frame.

# IF-NEEDED Facet Cont.

Shells differ but one example is

Frame:Property

Using the code on the previous “Tweety frame, we have

Tweety:No.\_Wings = 1

Now we need to assert a value of **True** or **False** to the “Flies” property depending on Tweety’s wing count.

# IF-NEEDED Facet Cont.

- `Frame:Property = Value`
- IF `Tweety.No._Wings < 2`
- THEN `Tweety:Flies = False`
- IF `Tweety.No._Wings = 2`
- THEN `Tweety:Flies = True`
- This method is attached to the IF-NEEDED facet of property “Flies” of the frame “Tweety”

## IF-NEEDED Facet Cont.

- To avoid write this method for many other birds, many shells permit to use a variable in place of the frame's name

```
IF Self: No_Wings < 2  
THEN Self: Flies=FALSE
```

```
IF Self: No_Wings = 2  
THEN Self: Flies=TRUE
```

# IF-CHANGED Facet

IF Self: Hungry=TRUE

THEN Self: Activity= Eating # Self: Eats

- Self: Eats is “eating worms”

# Logic

- Logic is the oldest form of knowledge representation in a computer
- One most often linked to intelligent systems are **propositional logic** and **predicate calculus**
- Techniques use symbols to represent knowledge
- Operators applied to the symbols produce logical reasoning

# Proposition Logic

- Represent and reason with propositions
- Propositions are true or false statements
- Capturing facts or rules in symbolic forms and operates on them through the use of logical operators

IF The car will not start	$\rightarrow A$
AND It is too far to walk to work	$\rightarrow B$
THEN I will miss work today	$\rightarrow C$

$$A \wedge B \rightarrow C$$

# Logical operator and symbols

<i>Operator</i>	<i>Symbol</i>
AND	$\wedge, \&, \cap$
OR	$\vee, \cup, +$
NOT	$\neg, \sim$
IMPLIES	$\supset, \rightarrow$
EQUIVALENCE	$\equiv$

A	B	A AND B
F	F	F
F	T	F
T	F	F
T	T	T

A	NOT A
T	F
F	T

A	B	A OR B
F	F	F
F	T	T
T	F	T
T	T	T

A	B	A $\equiv$ B
F	F	T
F	T	F
T	F	F
T	T	T

# Implication

$$A \rightarrow B \equiv \neg A \vee B$$

IF The battery is dead

THEN The car won't start

- Evaluate implication table row by row
  1. battery not dead  $\rightarrow$  car will start; implication T
  2. battery not dead  $\rightarrow$  car won't start; implication T
  3. battery dead  $\rightarrow$  car will start; implication F
  4. battery dead  $\rightarrow$  car won't start; implication T
- For many problems it can be difficult to assert a truth value to an entire statement.

A	B	A $\rightarrow$ B
F	F	T
F	T	T
T	F	F
T	T	T

# Predicate calculus

- It is an extension of proposition logic that provides a finer representation of the knowledge
- Instead of representing an entire proposition with a single symbol, such as  $A = \text{Ball's color is red}$ , it used,  $\text{color}(\text{ball}, \text{red})$  or  $\text{ball}(\text{color}, \text{red})$ .
- Symbols:
  - Constants
  - Predicates
  - Variables
  - Functions
- Operate on symbols with propositional logic operations

# Constants

- They are used to name specific object or properties about the problem
- Begin with lowercase
- Examples:
  - ali, ahmad, temperature,x

# Predicates

- A proposition or fact is divided into two parts: a predicate and an argument
- The **argument** represents the object or objects of the proposition
- The **predicate** is an assertion about the object denoting a relationship between arguments
- Examples:
  - Proposition: “Ali likes football”
  - **likes**(ali, football)

# Variables

- They represent general classes of objects or properties.
- Begin with uppercase
- Examples:

“Ali likes football”

“Ahmad likes basketball”

likes(X,Y)

X= ali, X= ahmad

Y=football, Y=basketball

# Functions

- A mapping from entities of a set to a unique element of another set.
- Examples:
  - $\text{father}(\text{javad}) = \text{reza}$
  - $\text{father}(\text{hasan}) = \text{ali}$
  - $\text{friends}(\text{father}(\text{javad}), \text{father}(\text{hasan})) = \text{friends}(\text{reza}, \text{ali})$

# Operations

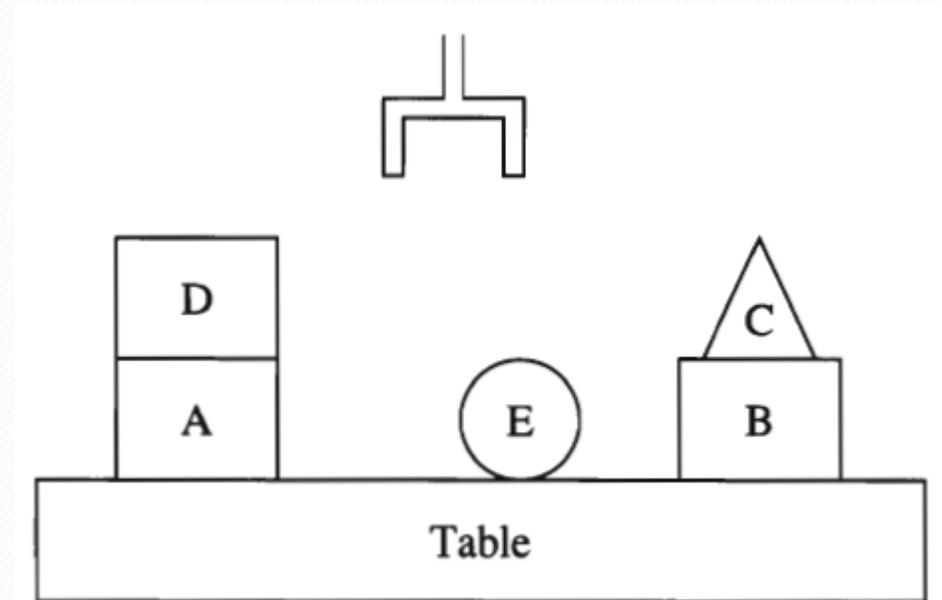
- The same operators found in the proposition logic
- Examples:
  - father(hasan, ali), father (hosain,ali)
  - hasan and hosain are brothers
- $\text{father}(X,Z) \wedge \text{father}(Y, Z) \rightarrow \text{brother}(X, Y)$

# Operations: variable quantifiers

- Universal quantifier ( $\forall$ ) indicates that the expression is TRUE for **all** values of the variable. For Example:
  - For all values of X, the statement is TRUE, that is everyone likes football
  - $\forall X \text{ likes}(X, \text{football})$
- Existential quantifier ( $\exists$ ) indicates that the expression is TRUE for **some** values of the variable (at least one value exist). For example:
  - At least someone likes football
  - $\exists X \text{ likes}(X, \text{football})$

# Robot control example

- The function of the robot is to move a specific block to a specific location
- `cube(a)`, `cube(b)`,  
`cube(d)`, `pyramid(c)`,  
`sphere(e)`, `hand(hand)`,  
`table(table1)`
- `on(a, table1)`, `on(b,`  
`table1)`, `on(d,a)`, `on(c,b)`,  
`on(e, table1)`
- `holding(hand, nothing)`



# World understanding

- Goal, for example, put block b on block a:

$\text{put\_on}(b,a)$

$\text{holding}(\text{hand}, b) \wedge \text{clear}(a) \rightarrow \text{put\_on}(b,a)$

$\forall X \exists Y (\text{holding}(\text{hand}, X) \wedge \text{clear}(Y) \rightarrow \text{put\_on}(X,Y)$

$\forall X (\sim \exists Y \text{ on}(Y, X) \rightarrow \text{clear}(X))$

- $\text{clear}(c), \text{clear}(d), \text{clear}(e)$

# Conclusion

- O-A-V triples, Rules, and Semantic network were discussed.
- Frames
  - Structure
  - Inheritance
  - Facets
- Logic
  - Propositional logic
  - Predicate calculus